

TARGET TRACKING AND DATA FUSION: How to Get the Most Out of Your Sensors and make a living out of it

AN OVERVIEW OF TRACKING ALGORITHMS FOR CLUTTERED
AND MULTITARGET-MULTISENSOR ENVIRONMENTS

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- *Quantify* the corresponding **uncertainties**.
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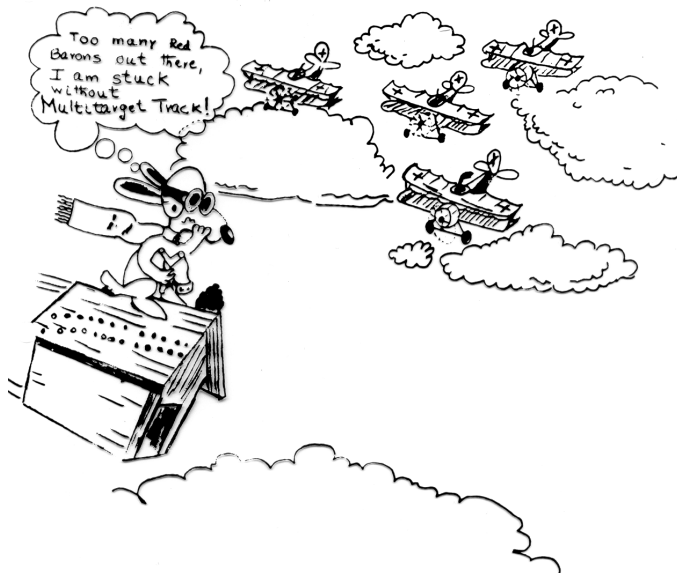
Method of approach

Make things as simple as possible, but not simpler.

A. Einstein

- The evolution of the technology of **tracking targets** (objects of interest) in a **cluttered environment** starting from the Kalman filter (recursive LMMSE estimator for Markovian dynamic systems), the backbone of most current systems.
- Approaches for handling target **maneuvers** (unpredictable motion, including **thrusting/ballistic targets**) and false measurements (**clutter**).
- Advanced robust techniques with moderate complexity.
- Tracking of **multiple targets**.
- Tracking with **multiple sensors**: **Fusion** architectures.

SNOOPY: ORIGINAL MOTIVATION OF MTT





MULTI-TARGET TRACKING

TRACKING WITH UNCERTAIN MOTION MODELS AND UNCERTAIN MEASUREMENTS

TRACKING consists of:

- **Estimation** of the current **state** of a target (i.e., filtering) based on uncertain measurements to **reduce the effect of the various noises**.
- Calculation of the **accuracy/credibility** associated with the state estimate.

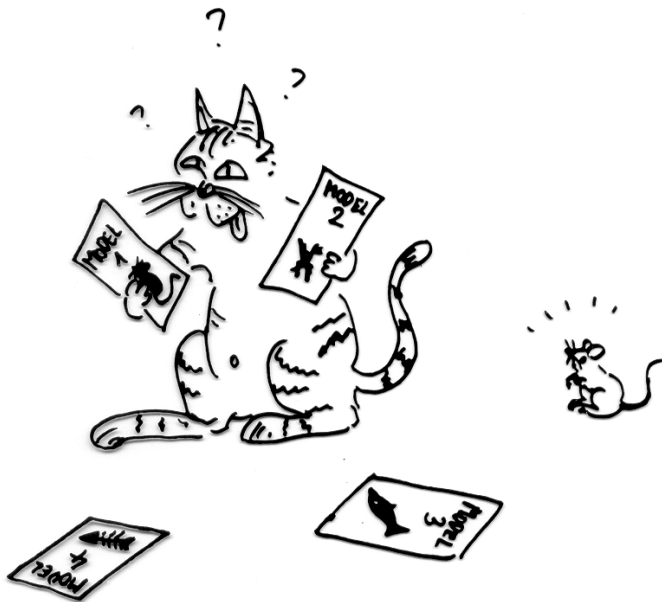
TARGET MODEL UNCERTAINTIES — motion is subject to:

- Random perturbations and/or
- Unknown **maneuvers** or **motion model changes**.

Multiple models are needed to describe different **target behavior modes**.

MEASUREMENT UNCERTAINTIES:

- Measured values from the target are inaccurate (noisy)
- **Origin of the measurements is not perfectly certain — the measurement(s) can be from the target of interest, false alarms, clutter or other targets — data association is necessary.**



MEASUREMENT-TO-MEASUREMENT association ([Start-up](#)).

MEASUREMENT-TO-TRACK association ([Continuation](#)).

Gating is done in the measurement space consisting of kinematic variables (position, Doppler, etc.) as well as feature components (signal strength, frequency, etc.).

TRACK-TO-TRACK association (in the decentralized multisensor case)

Given two tracks, each based on the data from a different sensor, are they from the same target?

- [Common origin](#) hypothesis test
- Combination ([fusion](#)) of the estimates if common origin hypothesis is accepted — for improved accuracy.

Gating is done in the state space with a weighted Cartesian norm and the [dependence](#) of the state estimation errors ([across independent sensors!](#)) has to be accounted for.

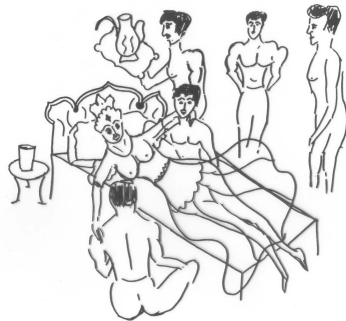
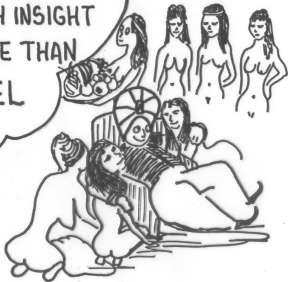
The **true measurement** of a kinematic variable can be **far from the predicted location** — this can cause problems in data association.

Modeling of maneuvers:

- PROCESS NOISE (assumed by the filter — “pseudo noise” — **white** or from a subsystem driven by **white** noise)
[Q: why white?]
 - with a **single high level** (conservative)
 - with several discrete levels with heuristic “**hard**” **switching** based on the norm of the innovations (not practical in clutter)
- MULTIPLE MODELS — use various models that differ in state equation and/or process noise levels, state dimension (e.g., add **turn rate** or **thrust** for thrusting/ballistic targets)
 - with **hard switching** (based on some logic — not practical in clutter)
 - with **soft (probabilistic) switching** — **Interacting Multiple Model (IMM) estimator** — works in clutter.

THE MORE MODELS THE BETTER — PC on the average!

DON'T LIMIT YOURSELF
TO ONE MODEL ONLY.
YOU MAY ENRICH INSIGHT
BY HAVING MORE THAN
ONE MODEL



The α - β Filter

- Uses *fixed gains* and *fixed association gates* (with possible simple logic of switching between several sets — gain scheduling)
- It **does not yield state estimation accuracies** (covariances)
- This filter is actually the *steady-state Kalman filter* for a kinematic model (2nd order with acceleration as white process noise) with a given set of parameters. A similar filter (α - β - γ) is available for a 3rd order model

Handling of measurement ambiguities

Measurement selection

- “nearest neighbor” (following thresholding of the signal)
- “strongest neighbor” (following gating).

This is then used in the state update **as if it was the correct one**.

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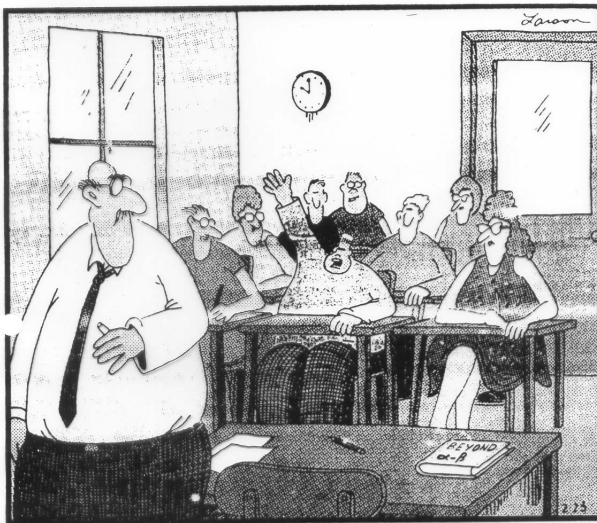
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Q: How can one improve on the α - β filter in clutter?

(outlw)



"Mr. Osborne, may I be excused? My brain is full."

Selection of the measurement (from the gate) for state update is done according to

- A “minimum distance rule” — Nearest-Neighbor (NNSKF), or
- A feature, e.g., the signal strength — Strongest Neighbor (SNSKF).

The update is done with a **time-varying gain** (as opposed to the α - β filter), which is optimal if

- the assumed **motion model** parameters are **correct** and
- the **selected measurement** is the **correct** one.

No accounting is made of the possibility that a clutter measurement might have been selected — it is a “standard” filter.

A logic can be used to effect a switching between several process noise levels (“**spaghetti logic**” unless the SNR is very high).

For nonlinear state or measurement models: Extended KF uses linearization.

THE PROBABILISTIC DATA ASSOCIATION FILTER (PDAF)

- This filter calculates for **all the current measurements** from the gate the *association probability* of having originated from the target in track based on their locations/features — **time depth 1**.
- The state is then updated with a *weighted combination* of these measurements with the **weights** being the above **association probabilities** — “soft” association decision.
- The **covariance** associated with the resulting state estimate includes a term due to the measurement origin uncertainty.
- This algorithm is **suboptimal** since it “lumps” all the measurements in a single state estimate — it replaces a Gaussian mixture by a single Gaussian using moment matching
- It is simple ($1.3\times$ the NNSKF) and yields significantly improved tracking performance.

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Some implementations of the PDAF

- Jindalee over-the-horizon radar in Australia — the only algorithm that was capable of working in very heavy clutter
- At Raytheon: Hawk SAM, ROTH, THAAD, ASDE, GBR
- At EUROCONTROL (combined with the IMM).

This (most comprehensive) algorithm, with **time depth** > 1

- splits the existing track (within a **sliding window**) whenever there is an association ambiguity and follows each branch (sequence of measurements) with a probability calculation
- **updates** the tracks **for each hypothesis** with a KF/IMM
- has **built-in track initiation** capability.

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Disadvantages

- Computational and memory **requirements** (NP-hard)
- Very complex data management and debugging
- Multitude of the output — all the hypotheses are put out and it is very complicated to present an overall picture: one can display the most likely hypothesis (questionable/optimistic) or **composite tracks**.

THE INTERACTING MULTIPLE MODEL (IMM) ESTIMATOR

- The Interacting Multiple Model estimation algorithm is a **very efficient recursive** scheme with **fixed requirements** for systems with switching models (hybrid systems) — a **self-adjusting variable-BW estimator**.
- The IMM estimator runs **Kalman filter (or EKF) modules *simultaneously*** based on several target models (e.g., non-maneuvering and maneuvering models or thrusting and ballistic)
 - in an interacting manner — **constantly exchanging information**
 - yields the **“current model” probability** conditioned on the available data.
- The output consists of mode probabilities, **combined state estimate** weighted by the mode probabilities and covariance of the combined state estimate.
- The IMM was the key that made it possible for an off-the-shelf torpedo to intercept and attacking torpedo in a sea test.

The IMM, which has a **modular architecture**, has been extended (**IMMPDAF**) for tracking a target in clutter by

- using the **PDAF** as the basic filter module and
- making suitable changes in the model probability calculation to account for the target P_D and the clutter.
- Major advantages
 - simplicity of implementation
 - modest and **fixed** computational and memory **requirements**
 - effects **soft switching** between the models — “**never totally right, never totally wrong**”

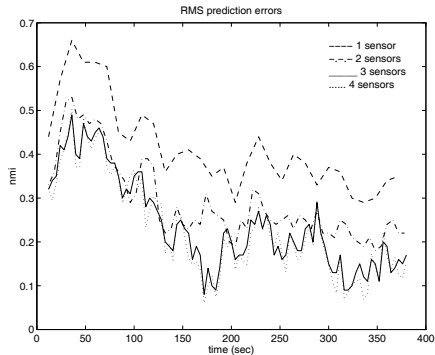
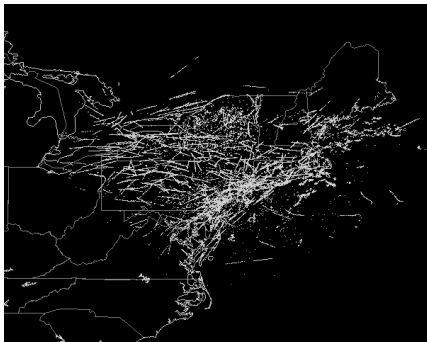
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The IMMPDAF has been fielded in an active hull mounted sonar to track low-SNR maneuvering targets.

The IMM has been successfully used in combination with [assignment](#) — “hard” association decision — for real ATC data (800 targets, 5 radars).

LARGE-SCALE ATC USING IMM/ASSIGNMENT ESTIMATOR



- Scenario: 5 FAA/JSS radars, 800 targets
- Solution: 2-D assignment algorithm for data association in conjunction with the IMM estimator for tracking
- Real-time capability: IMM/Assignment tracker processed 5 minutes worth of data in less than one minute

Major issue: Is there **enough information** in the data?

Information in the sense of Fisher: a matrix whose inverse, if it exists, yields the lowest achievable covariance in estimation (the CRLB; in general there is no guarantee that one can achieve this bound).

If $P_D < 1$ and $P_{FA} > 0$, one has a new situation: an *information reduction factor (IRF)* has been **quantified** — there is less information and the **CRLB in clutter (CRLBiC)** is higher than the conventional CRLB.

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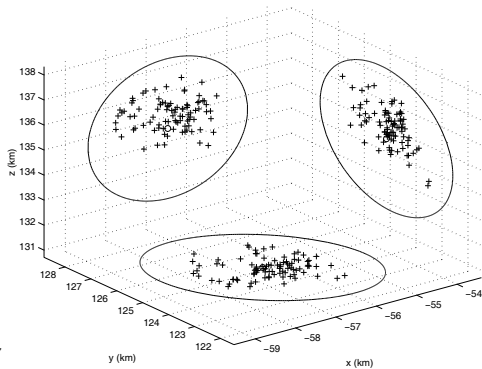
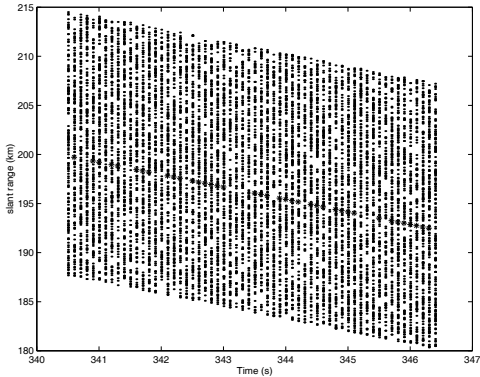
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In real world problems

- we have to understand the limits due to finite (perhaps insufficient) information in the sensor data — the **existing information**
- seek **efficient algorithms** — such that the **extracted information** is equal to the **existing information**, or as close as possible to it, subject to implementation constraints.

Example: The ML-PDA for TBM acquisition is efficient for LO targets down to **4dB** SNR in a cell — average signal strength is 1.6 times the average noise.

LOW OBSERVABLE TBM ACQUISITION USING ML-PDA



- Scenario: 200-250 km missile acquisition range, data for 6 s at 10 Hz
- Difficulty: low SNR \Rightarrow high false alarm density (low observability)
- Solution: ML-PDA estimator with features to initialize tracks
- Efficient — meets the **CRLB in clutter (CRLBiC)** down to 4 dB SNR — extracts all available information.

Dilbert By Scott Adams

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ONLY WITH SOME PROBABILITY, WHICH DIMINISHES WITH THE DIFFICULTY OF THE CIRCUMSTANCES...



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HOW MUCH IS A PROBABILITY?



Prerequisites for successful data fusion:

- Sensor **registration** (alignment)
- Reliable **statistical description** of the uncertainties in each sensor's data
- **Reliable estimation accuracies** — track error covariances.

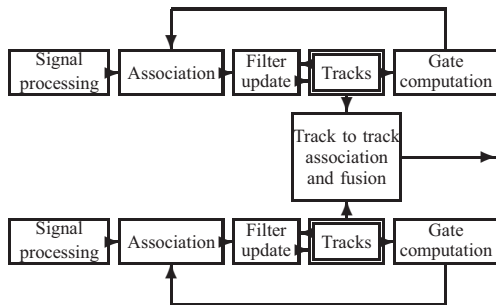
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An interesting results in **fusion from distributed local trackers** is that local tracks using **independent** sensors have **correlated errors**.

This correlation is due to the “**common process noise**” — the motion uncertainty model is common, only the measurement uncertainties are independent across local trackers — and is quantified by “**crosscovariances**”.

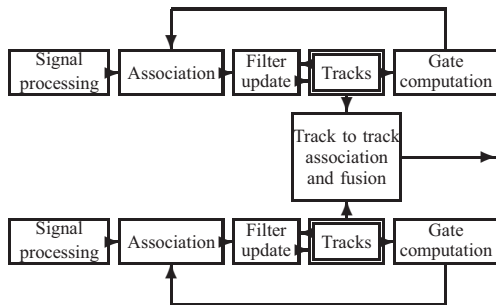
SINGLE SENSOR TRACKING FOLLOWED BY TRACK FUSION W/O FEEDBACK



This fusion, even if performed optimally (with the exact cross-correlations between the local state estimation errors), is known to be slightly inferior (10–15%) compared to the centralized configuration.

Explanation: optimal fusion of locally optimal tracks is globally suboptimal — because the locally optimal filter gains are not globally optimal.

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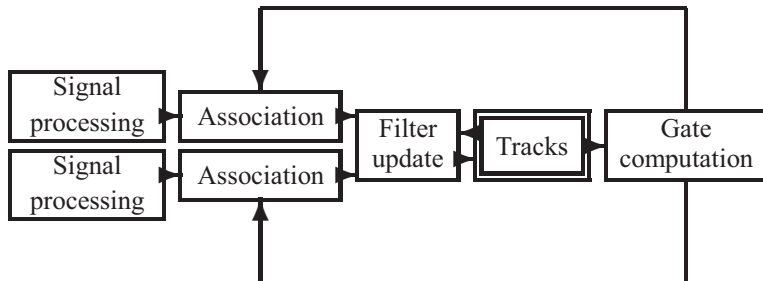


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It is critical that each estimate is consistent (has a covariance that is neither optimistic nor pessimistic).

In this configuration all the **associations** and **tracking** are carried out at a **central location**.



This provides the **best performance** but it has high communication **bandwidth** requirements.

- The α - β and the NNSKF/SNSKF approaches are **overly simplistic** and **outdated**.
- At the other extreme, the **MHT** technique is very **complex**. The use of **discrete optimization** (rather than enumerative hypothesis evaluation) makes it more efficient and brings it to the stage where **real-time implementation is feasible**.
- For a **single target**, the **IMMPDAF** is believed to be the best available compromise between complexity and performance. Its capabilities in a realistic cluttered environment have been shown in a series of Navy Benchmark problems.
- The use of the **IMM** (combined with PDAF or MHT) has, with its built-in **auto-tuning**, the potential of overcoming the problem that many filters cannot be tuned for a **wide enough range of situations**.
- For VLO targets the ML-PDA is the best algorithm because it can extract all the relevant information from the data — it meets the **CRLB in clutter** down to 4dB SNR.

- For multisensor track-to-track fusion, the **cross-correlations between local tracking errors** have to be accounted for.
- Optimal track-to-track fusion on demand is slightly inferior to optimal centralized tracking but **can save communication BW**.
- Sensor alignment (**registration**) hinges on **observability**, which is not always guaranteed.
- Sensor **resolution modeling** still needs work.

SHOE By Jeff MacNelly

